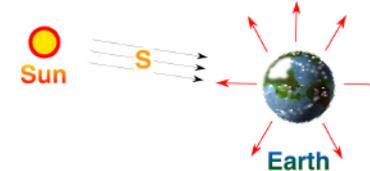


Carbon-Climate Interaction and The Long Tail of CO₂

Please read (from class website):

- Gregory et al (2009). Quantifying carbon cycle feedbacks. *Jour. Climate* 22: 5232-5250.
- Archer and Brovkin (2008). Millennial atmospheric lifetime of anthropogenic CO₂. *Climatic Change* 90:283-297.

Planetary Energy Balance



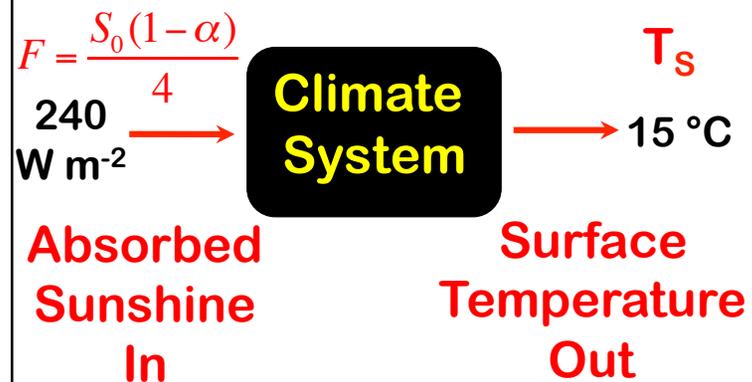
Energy In = Energy Out

$$S(1-\alpha)\pi R^2 = 4\pi R^2\sigma T^4$$

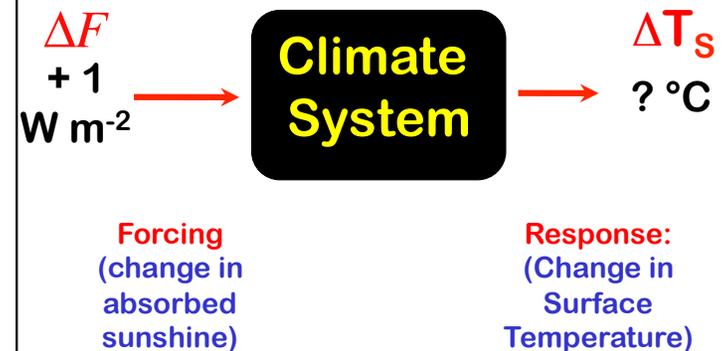
$$T \approx -18^\circ\text{C}$$

But the observed T_s is about 15°C

Earth's Climate as a "Black Box"



Climate Forcing, Response, and Sensitivity



Climate Forcing, Response, and Sensitivity

Forcing
(change in sunshine)

ΔF
+ 1
 W m^{-2}

Climate System

Response:
(Change in Surface Temperature)

ΔT_s
? °C

"Let's do the math ..."

$$S_0(1-\alpha)\pi r^2 = 4\pi r^2\sigma T^4$$

$$T = \left[\frac{S_0(1-\alpha)}{4\sigma} \right]^{1/4} = (F/\sigma)^{1/4}$$

A 1 W m^{-2} change in absorbed sunshine produces about a 0.26 °C change in planet's temperature

Baseline Climate Sensitivity

"Let's do the math ..."

$$S_0(1-\alpha)\pi r^2 = 4\pi r^2\sigma T^4$$

$$S_0(1-\alpha) = 4\sigma T^4$$

$$F = \frac{S_0(1-\alpha)}{4} = \sigma T^4$$

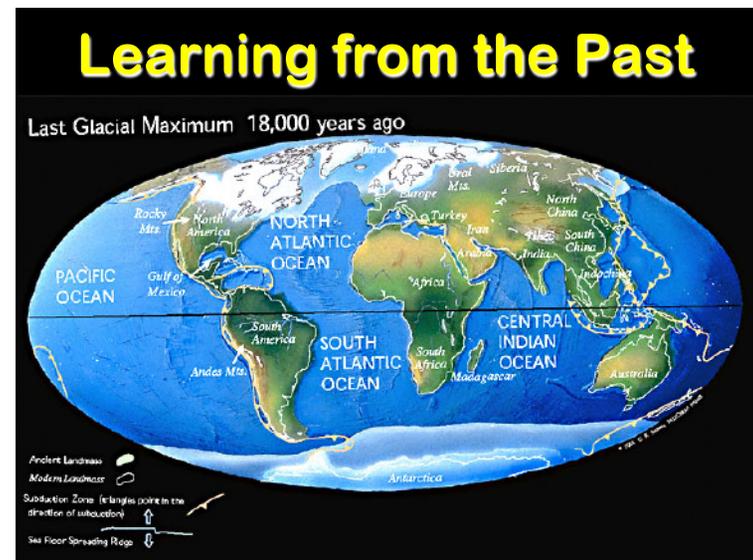
$$\frac{dF}{dT} = 4\sigma T^3 \equiv \lambda_{BB}$$

$$\lambda_{BB} = 4\sigma_{SB} 255^3 = 3.8 \text{ W m}^{-2} \text{ K}^{-1}$$

Total Climate Sensitivity

$$F_{2\times} = 3.7 \text{ W m}^{-2} \quad T_{2\times} = \frac{F_{2\times}}{\lambda}$$

- Radiative forcing is 3.7 W m^{-2} per doubling of CO_2 (based on spectroscopy & RT modeling)
- "Baseline" sensitivity $\lambda_{BB}=3.8 \text{ W m}^{-2} \text{ K}^{-1}$, so only about 1 K warming per 2 x CO_2
- But total sensitivity depends on the magnitude of climate feedback λ



Estimating Total Climate Sensitivity

- At the **Last Glacial Maximum** (~ 18k years ago) surface temp ~ 5 K colder
- CO₂ was ~ 180 ppm (weaker greenhouse, 3.7 W m⁻² more OLR)
- Brighter surface due to snow and ice, therefore 3.4 W m⁻² more reflected solar

$$\frac{\Delta T_s}{\Delta F} = \frac{T_s(now) - T_s(then)}{F(now) - F(then)}$$

$$= \frac{5K}{(3.7 + 3.4)Wm^{-2}} = 0.70 \frac{K}{Wm^{-2}}$$

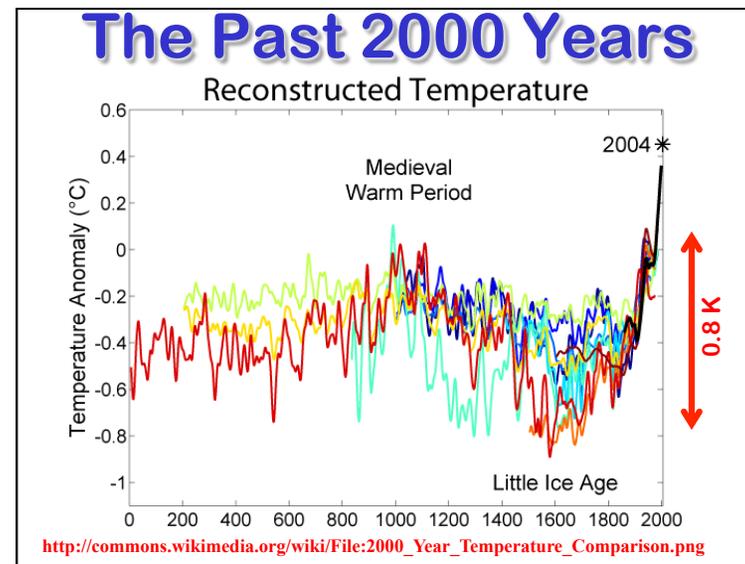
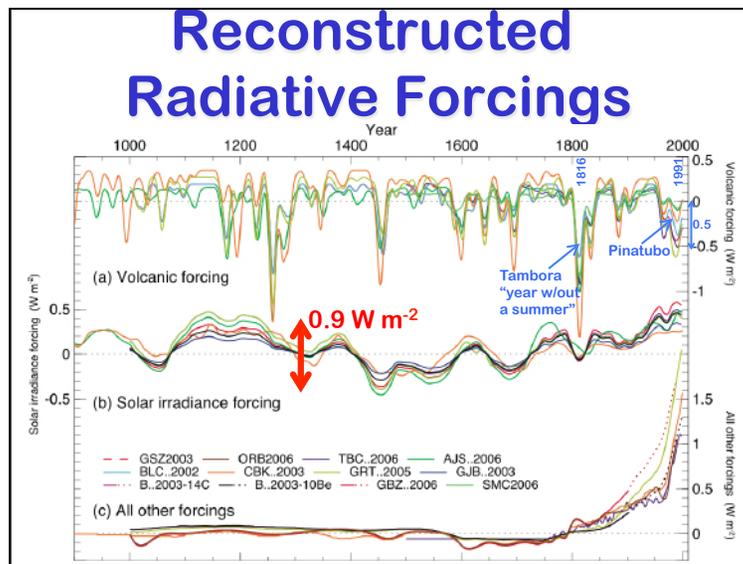
Almost 3x as sensitive as suggested by Stefan-Boltzmann alone ... Other feedbacks must be going on as well

Deglaciation Analog

- Warming after last glacial maximum ~ 5 K
- Climate forcing ~ 7 W m⁻²
- Total climate sensitivity (including feedback) about 1.42 K (W m⁻²)⁻¹

$$\lambda \equiv \frac{\Delta F}{\Delta T} = \frac{1}{0.7 K / (Wm^{-2})} = 1.4 Wm^{-2} K^{-1}$$

$$\Delta T_{2x} = \frac{\Delta F_{2x}}{\lambda} = \frac{3.7 Wm^{-2}}{1.4 Wm^{-2} K^{-1}} = 2.6 K$$



Second Millennium Analog

- Cooling from Medieval Warm Period to Little Ice Age ~ 0.8 K
- Solar forcing ~ 0.9 W m⁻² (somewhat complicated by volcanic forcing)



A frost fair on the Thames at Temple Stairs, c 1684. Abraham Hondius Museum of London

Total climate sensitivity (including feedback)

$$\lambda \sim 1.1 \text{ K (W m}^{-2}\text{)}^{-1}$$

$$\Delta T_{2x} = \frac{\Delta F_{2x}}{\lambda} = \frac{3.7 \text{ Wm}^{-2}}{1.1 \text{ Wm}^{-2} \text{ K}^{-1}} = 3.4 \text{ K}$$

Volcanic Analog

- Cooling following eruption of Mount Pinatubo in 1991 ~ 0.6 K
- Volcanic forcing ~ 0.5 W m⁻²
- Total climate sensitivity (including only “fast” feedback)



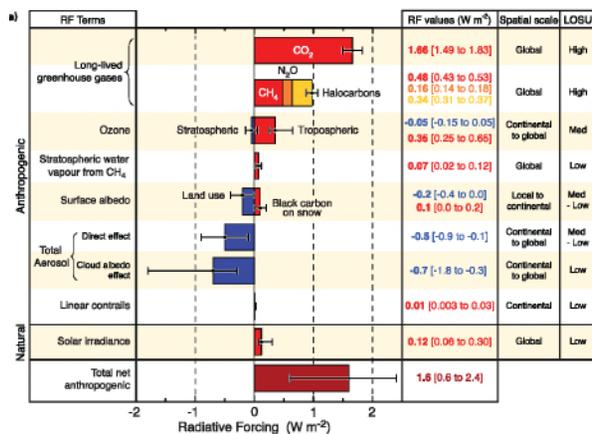
Total climate sensitivity (including feedback)

$$\lambda \sim 1.2 \text{ K (W m}^{-2}\text{)}^{-1}$$

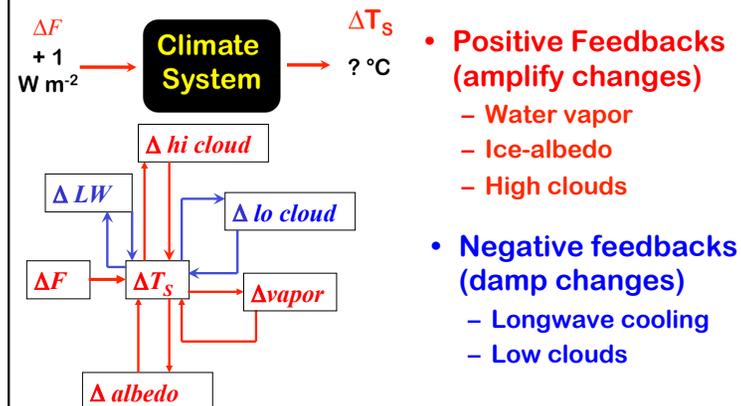
$$\Delta T_{2x} = \frac{\Delta F_{2x}}{\lambda} = \frac{3.7 \text{ Wm}^{-2}}{1.2 \text{ Wm}^{-2} \text{ K}^{-1}} = 3.1 \text{ K}$$

Comparison of Current Radiative Forcings

GLOBAL MEAN RADIATIVE FORCINGS



Climate Feedback Processes



$$F = \lambda T = T (\lambda_{BB} + \lambda_{albedo} + \lambda_{vapor} + \lambda_{cloud} + \dots)$$

Climate Feedback

$$F = \lambda T = T(\lambda_{BB} + \lambda_{albedo} + \lambda_{vapor} + \lambda_{cloud} + \dots)$$

$$\lambda_{BB} T = F + \sum_{i \neq BB} (-\lambda_i T)$$

- Feedback processes are additive
- Each process can be seen as adding to or subtracting from the “original” forcing
- $\lambda < 0$ is a “positive feedback” (adds to F)
- $\lambda > 0$ is a “negative feedback” (subtracts from F)

“Climate Gain”

$$\lambda_0 T = F + \sum_{i>0} y_i T \Rightarrow F = T(\lambda_0 - y),$$

$$y = \sum_{i>0} y_i = - \sum_{i>0} \lambda_i,$$

- y is a combined feedback parameter, with sign opposite of λ

$$T = \frac{F}{\lambda_0 - y} = \frac{F/\lambda_0}{1 - y/\lambda_0}.$$

$$T = G_T T_0 \quad G_T = \frac{1}{1 - g_T} \quad g_T \equiv \frac{y}{\lambda_0} = \sum_{i>0} \frac{y_i}{\lambda_0} = \sum_{i>0} \frac{(-\lambda_i)}{\lambda_0}.$$

- G_T is the “gain” after feedbacks take effect

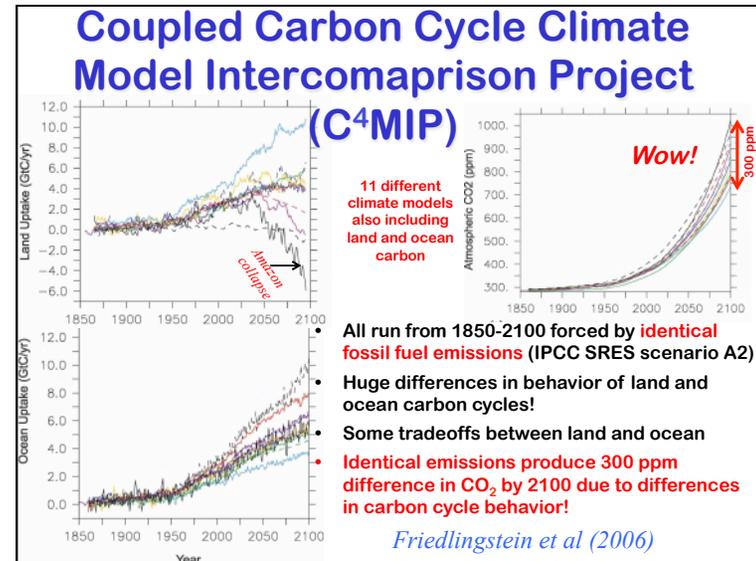
Climate Sensitivity: Forcing, Feedback, and Response

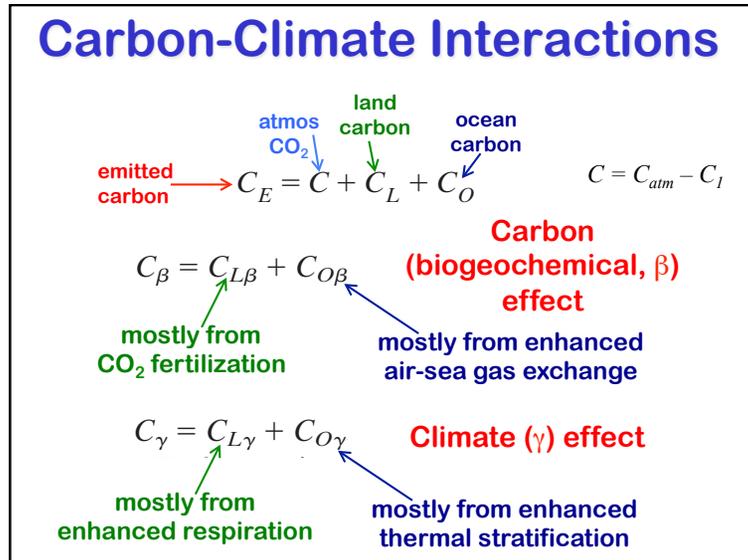
$$T = T_0 \sum_{j=0}^{\infty} g_T^j = \frac{T_0}{1 - g_T} = G_T T_0.$$

- **Eventual** response is amplified (or damped) by the gain factor G_T
- Response may be **slow** because of thermal inertia (heat capacity and slow transport) associated with oceans and ice sheets

$$F = \rho T \quad \rho = \lambda + \kappa = \sum \lambda_i + \kappa,$$

- ρ combines feedback and inertia at a particular time during warming





Carbon-Climate Interactions

$$C_E = C + C_\beta + C_\gamma$$

$$C_\beta = \beta C \quad \beta \text{ (GtC GtC}^{-1}\text{)}$$

$$C_\gamma = \gamma T, \quad \gamma \text{ (GtC K}^{-1}\text{)}$$

$$C_E = C + \beta C + \gamma T$$

- **Separate simulations** to quantify biogeochemical and climate effects
- **Subtract simulated atmospheric CO₂** from initial condition (C_1) to calculate C
- **Calculate β and γ from simulated C_L and C_O**

Carbon-Climate Forcing and Feedback

Climate Forcing at time when $(CO_2 - \text{preindustrial}) = C$

$$F_C(C) = F_{2\times} \frac{\ln[(C_1 + C)/C_1]}{\ln 2} \simeq \phi C.$$

When $CO_2 = 2 \times C_1$, $\phi = F_{2\times} / C \sim 3.7 \text{ W m}^{-2} / (600 \text{ GtC})$
(simple linearization of climate forcing)

$$C_E = uC \quad u = \sum_i u_i = 1 + \beta + u_\gamma$$

“Airborne fraction” of total CO₂ emissions depends on both β and γ

$$A = \frac{C}{C_E} = \frac{1}{u} = \frac{1}{\sum_i u_i} = \frac{1}{1 + \beta + \phi\gamma/\rho}$$

“Carbon-Climate Gain”

“Airborne fraction” of total CO₂ emissions depends on both β and γ

$$A = \frac{C}{C_E} = \frac{1}{u} = \frac{1}{\sum_i u_i} = \frac{1}{1 + \beta + \phi\gamma/\rho}$$

$$C = AC_E, \quad A = \frac{1}{1 - g_C}, \quad g_C = -\sum_{i>0} u_i = -\beta - u_\gamma$$

- **Carbon gain is defined in such a way as to be exactly analogous to climate gain**
- **Two components:**
 - **Concentration-carbon feedback β**
 - **Climate-carbon feedback γ**

Carbon-Climate Responses

u

- Derived by Gregory et al (2009) from C4MIP model output (Friedlingstein et al, 2006)
- u for CO₂ is analogous to -λ for temperature
- Concentration-climate feedback is stronger, negative, and most uncertain (esp for land)

Climate Feedback Comparison

- Carbon feedbacks are compared “apples-and-apples” to other climate feedbacks
- Carbon feedbacks are strongest and most uncertain of all feedback processes in climate system

y ($W\ m^{-2}\ K^{-1}$)

Key result of Gregory et al (2009)

Nitrogen Limitation

Biogeosciences, 6, 2099–2120, 2009
www.biogeosciences.net/6/2099/2009/
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Biogeosciences

Carbon-nitrogen interactions regulate climate-carbon cycle feedbacks: results from an atmosphere-ocean general circulation model

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- Recall that many FACE studies find transient response of NPP to CO₂ enrichment which fades after a few years
- Will nutrient limitation minimize CO₂ fertilization and carbon-concentration feedback, ultimately meaning extreme sensitivity to climate change?

Carbon-Nitrogen Interactions

- Plant growth limited by available mineral nitrogen
- Mineralization of organic N is faster at higher temperatures
- N deposition and fixation can help

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